

# Microbiological Sampling and Testing in Food Safety Management

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# Sampling plan: example

Food category: powdered infant formulae (PIF)

Safety Criteria:

Microorganism	Sampling plan		Sample weight (g)	Analytical method
	n	c		
<i>Cronobacter</i> spp.	30	0	10	ISO/TS 22964
<i>Salmonella</i>	60	0	25	ISO 6579

CODEX Code of hygienic practice for powdered formulae for infants and young children CAC/RCP 66-2008



Qualitative, 2 class, c=0

# Sampling plan: example

Food category: powdered infant formulae (PIF)

Hygiene Criteria:

Micro-organism	Sampling plan		m	M	Analytical method
	n	c			
Mesophiles	5	2	500/g	5000/g	ISO 4833
<i>Enterobacteriaceae</i>	10	2	0/10 g	-	ISO 21528-1/21528-2

CODEX Code of hygienic practice for powdered formulae for infants and young children CAC/RCP 66-2008



Quantitative, 3 class,  $c \neq 0$   
Qualitative, 2 class,  $c \neq 0$

# The anatomy of a sampling plan

Qualitative and Quantitative plans

+/-: 0/25g 0/10g

$\leq 100$  cfu/g or  $> 100$  cfu/g

2 class and 3 class plans

2: +/-  $\leq 100$  cfu/g /  $> 100$  cfu/g

3:  $x \leq 500$  /g;  $500 < x \leq 5000$ ;  $> 5000$ /g

$c = 0$  or  $c \neq 0$

Class	Qual/Quant	$c=0$ ?
2	Qual	0
2	Qual	$\neq$
2	Quan	0
2	Quan	$\neq$
3	Quan	$\neq$



# The anatomy of a sampling plan

Microorganism	Sampling plan		Sample weight (g)	Analytical method
	n	c		
<i>Cronobacter</i> spp.	30	0	10	ISO/TS 22964
<i>Salmonella</i>	60	0	25	ISO 6579



2-class, qualitative,  $c=0$

# *Cronobacter* PIF (2-class, qualitative)

$n=30$   $c=0$   $m=0 / 10g$

30 samples

None of 30 samples is allowed to show an analytical result exceeding the microbiological limit

Microbiological limit  
(defective at 1 cfu/10 g or more)



# Sampling plan: example

Micro-organism	Sampling plan		m	M	Analytical method
	n	c			
Mesophiles	5	2	500/g	5000/g	ISO 4833
<i>Enterobacteriaceae</i>	10	2	0/10 g	-	ISO 21528-1/21528-2



2-class, qualitative, c=2

# *Enterobacteriaceae* PIF (2-class, qualitative)

$n=10$   $c=2$   $m=0/10$  g

10 samples

Two of 10 samples are allowed to show an analytical result exceeding the microbiological limit

Microbiological limit  
(defective *sample* at 1 cfu/10 g or more)





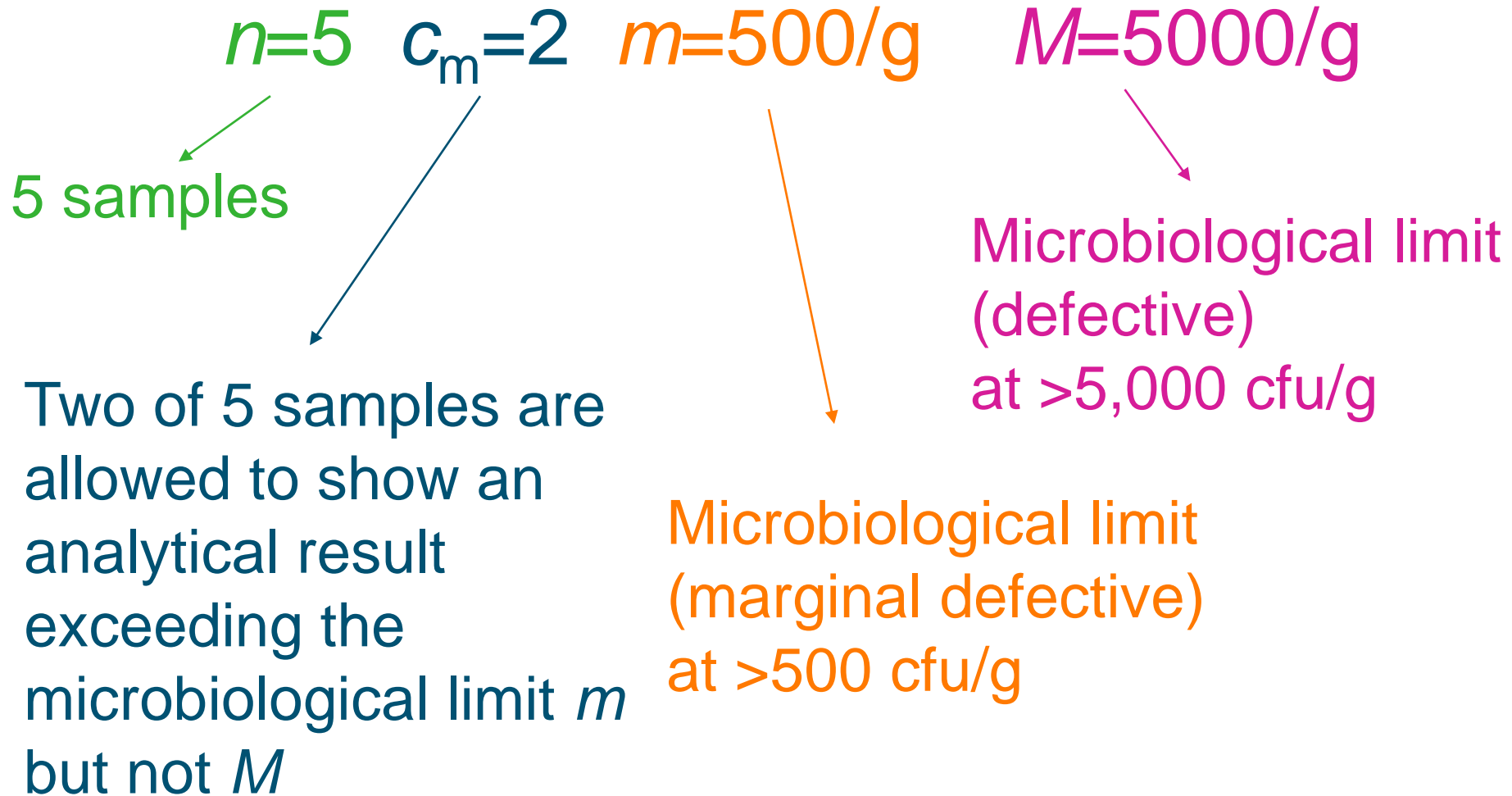
# Sampling plan: example

Micro-organism	Sampling plan		m	M	Analytical method
	n	c			
Mesophiles	5	2	500/g	5000/g	ISO 4833
<i>Enterobacteriaceae</i>	10	2	0/10 g	-	ISO 21528-1/21528-2



3-class, quantitative, c=2

# Mesophiles – PIF (3-class, quantitative)



# Sampling plan:

Ready-to-eat (no growth) foods from the end of manufacture or port of entry (for imported products), to the point of sale

Micro-organism	Sampling plan		m	M	Analytical method
	n	c			
<i>Listeria monocytogenes</i>	5	0	100 cfu/g	-	ISO 11290-2



2-class, quantitative, c=0

# *Listeria*– no growth (2-class, quantitative)

$n=5$   $c=0$   $m=100$  /g

5 samples

None of the 5 samples are allowed to show an analytical result exceeding the microbiological limit  $m$

Microbiological limit  
(defective)  
at  $>100$  cfu/g



## ANNEX

Annex I to Regulation (EC) No 2073/2005 is amended as follows:

(1) in Chapter 2, Section 2.1 is amended as follows:

(a) the table is amended as follows:

(ii) the following row 2.1.9 is added:

Food category	Micro-organisms	Sampling plan		Limits		Analytical reference method	Stage where the criterion applies	Action in case of unsatisfactory results
		n	c	m	M			
"2.1.9 Carcases of broilers	<i>Campylobacter</i> spp.	50 <sup>(5)</sup>	c=20  From 1.1.2020 c=15;  From 1.1.2025 c=10	1000 cfu/g		EN ISO 10272-2	Carcases after chilling	Improvements in slaughter hygiene, review of process controls, of animals origin and of the biosecurity measures in the farms of origin



2-class, quantitative, c=20..15..10

# Sampling plan:

Hygiene criterion *Campylobacter* broilers

Micro-organism	Sampling plan		m	M	Analytical method
	n	c			
<i>Campylobacter</i> spp.	50	20	1000 cfu/g	-	ISO 10272-2



2-class, quantitative, c=20..15..10

# *Campylobacter*–broilers (2-class,quantitative)

$n=50$   $c=20$   $m=1000$  /g

50 samples

20 of the 50 samples  
are allowed to show  
an analytical result  
exceeding the  
microbiological limit  $m$

Microbiological limit  
(defective)  
at  $>1000$  cfu/g



# The anatomy of a sampling plan

Class	Qual/Quant	c=0 ?	Example
2	Qual	0	<i>Salmonella</i> in PIF
2	Qual	≠	<i>Enterobacteriaceae</i> in PIF
2	Quan	0	<i>Listeria</i> in no growth RTE
2	Quan	≠	<i>Campylobacter</i> in broilers
3	Quan	≠	Mesophiles in PIF







Verification  
by MicroCrit

Monitor Critical Limits

Validated CCPs

HACCP

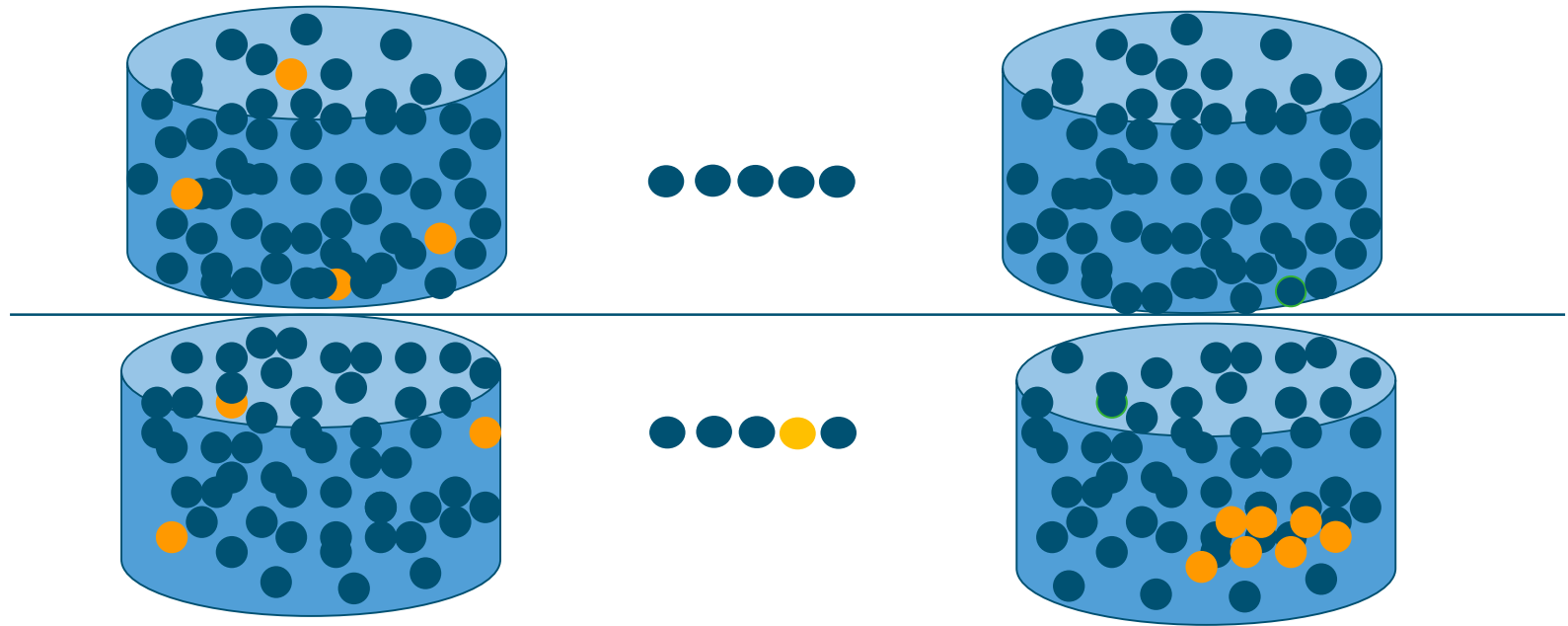
PRP (GMP, GHP, ....)



verification  
by MicroCrit



# End product testing useful or lottery ?



Positives mean something, negatives are no guarantee

## **MISCONCEPTION 1**

*If the tested sample units are negative, the batch is free of the pathogen.*

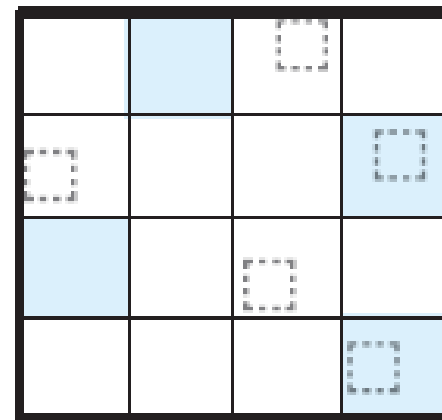


# Statistical Aspects of Food Safety Sampling

I. Jongenburger, H.M.W. den Besten,  
and M.H. Zwietering

Annu. Rev. Food Sci. Technol. 2015. 6:479–503

**a**



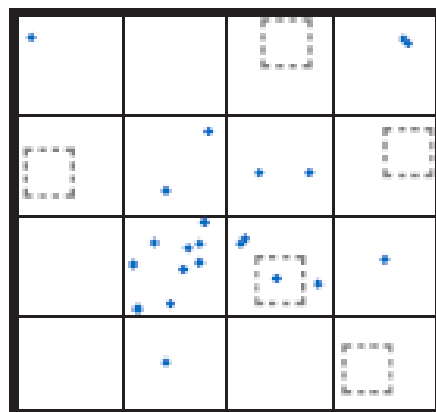
Homogeneous  
contamination



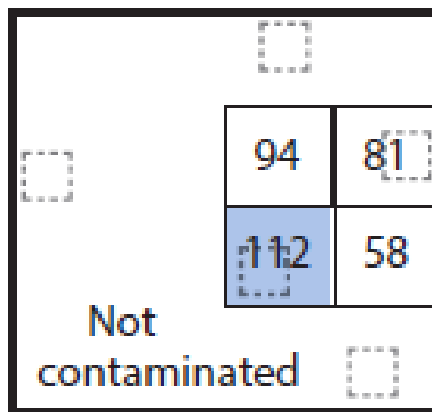
**b**

22	113	94	49
8	10	93	105
520	59	81	17
19	101	36	33

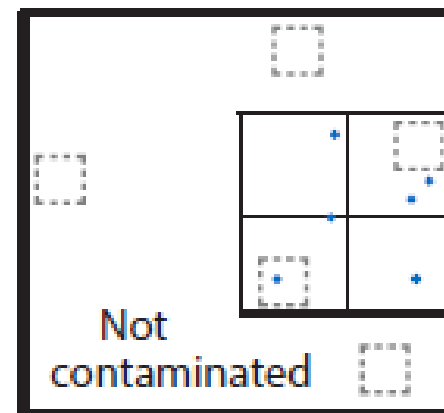
Heterogeneous  
high-level  
contamination

**c**

Heterogeneous  
low-level  
contamination

**d**

Localized high-level  
contamination

**e**

Localized low-level  
contamination



**a**


Homogeneous  
contamination

# Probability that no contamination is found

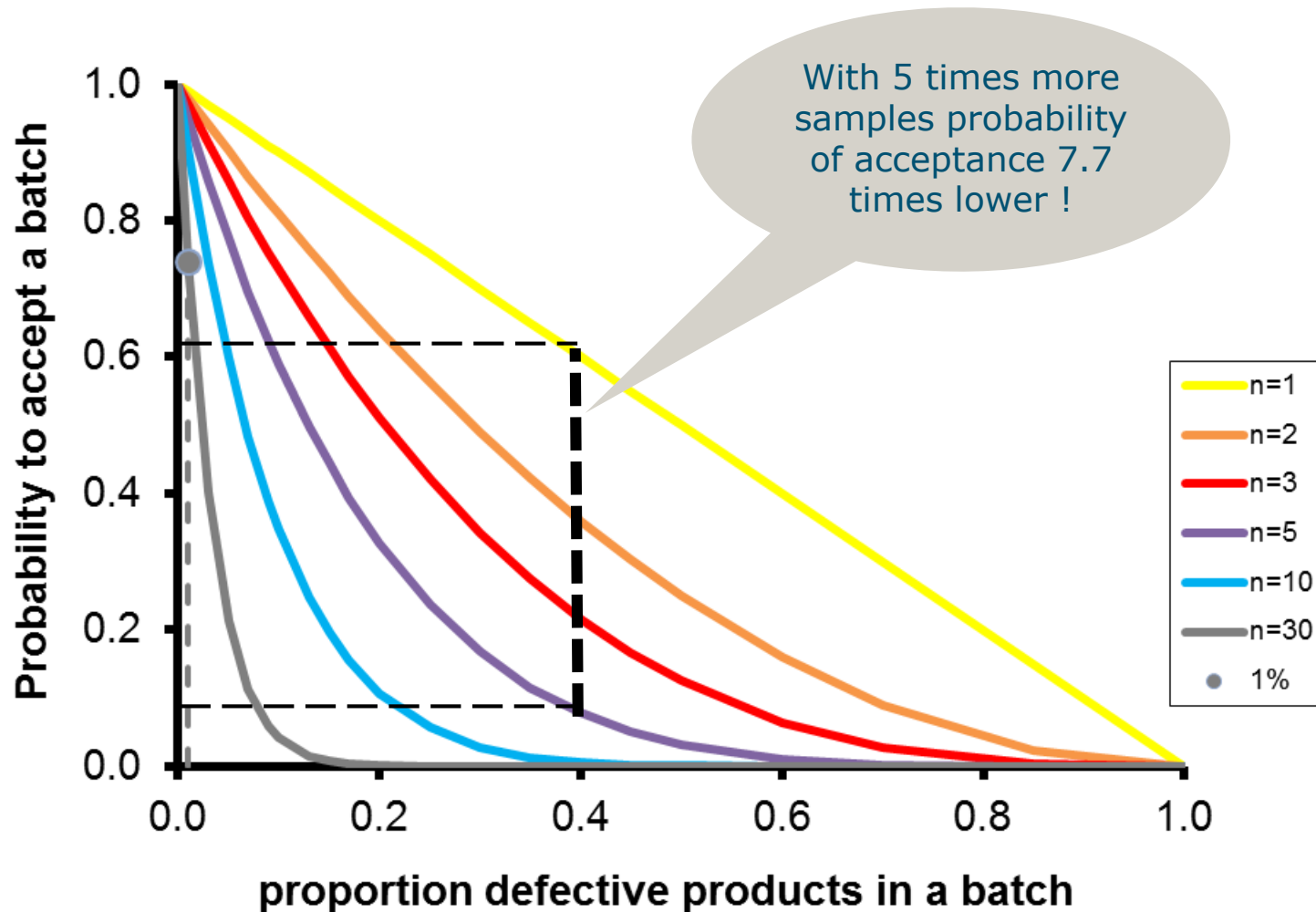
$P_{\text{defective}}$	$n=1$
	$1 - P_{\text{def}} =$
0.00	1.00
0.01	0.99
0.05	0.95
0.10	0.90
0.15	0.85
0.20	0.80
0.25	0.75
0.30	0.70

1 % defectives of 100,000 products, means 1,000 products



$$P_{\text{accept}} = (1 - P_{\text{defective}})^n$$

# Probability of accepting a lot, $c=0$



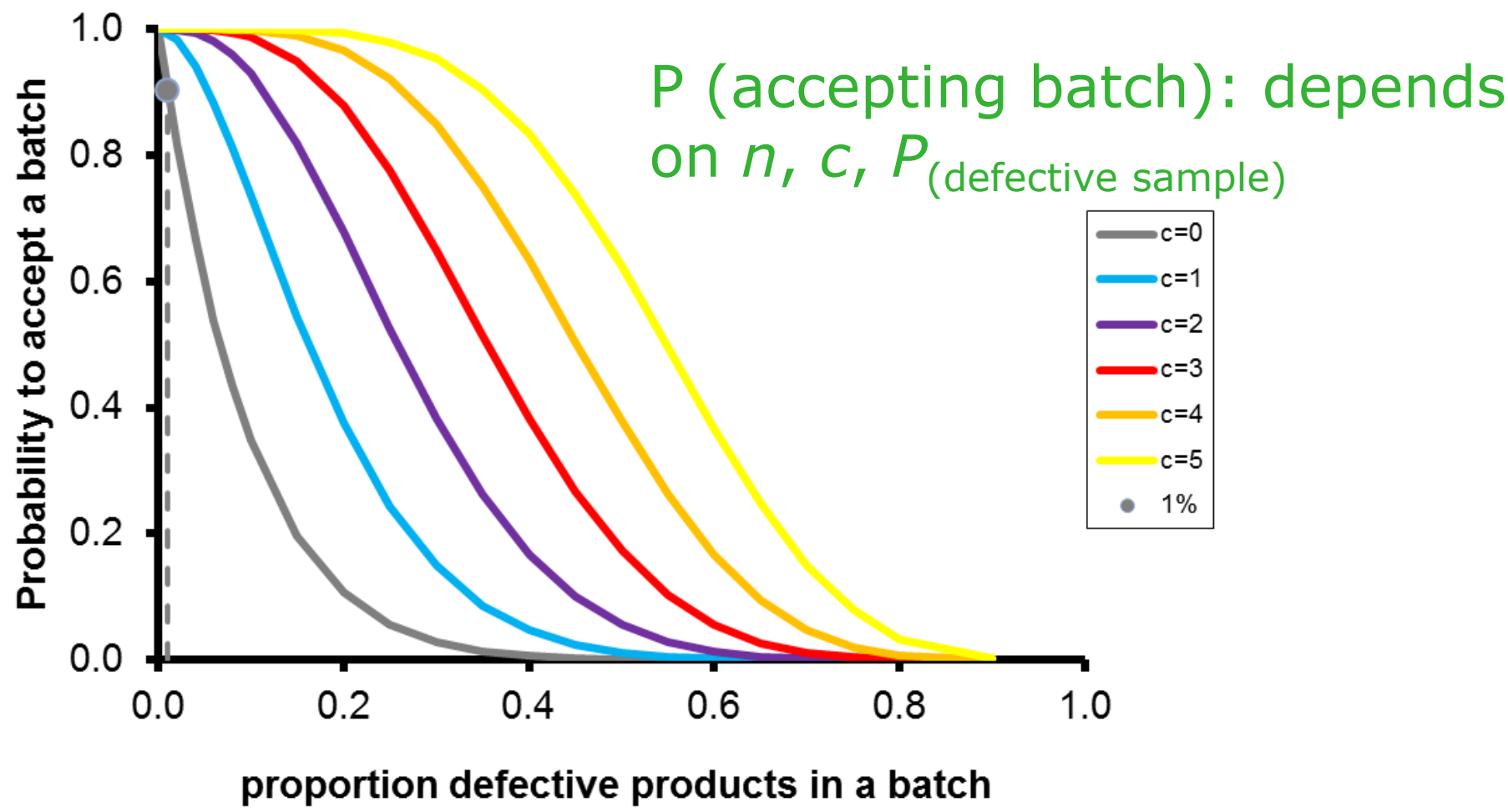
## MISCONCEPTION 2

*Using a realistic sampling scheme, it is possible to test for absence of a pathogen in a batch of food.*



# MISCONCEPTION 3

Current sampling plans assume that microorganisms follow the binomial distribution.



$$\text{If } c \neq 0 P_{\text{accept}} = \text{binomial}(k \leq c, n, P_{\text{defective}})$$

**b**

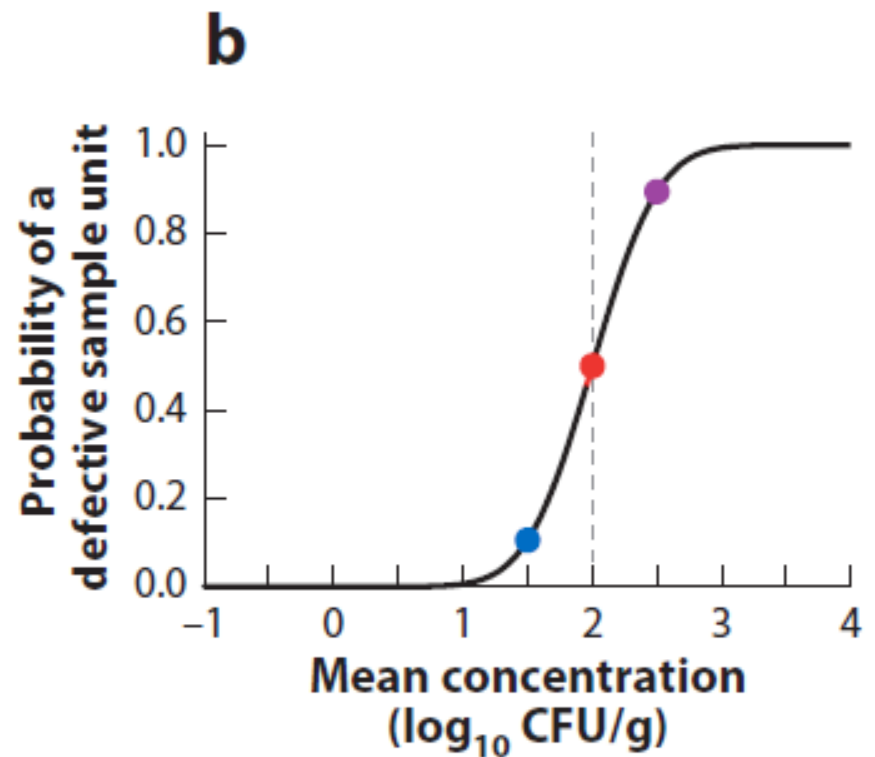
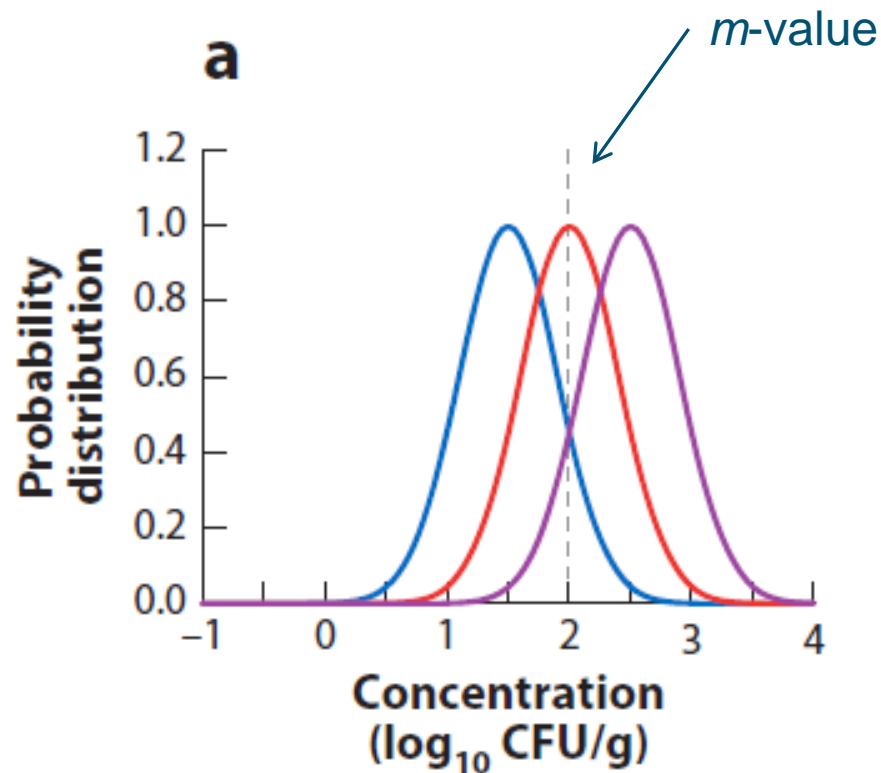
22	113	94	49
8	10	93	105
520	59	81	17
19	101	36	33

Heterogeneous  
high-level  
contamination

## MISCONCEPTION 4

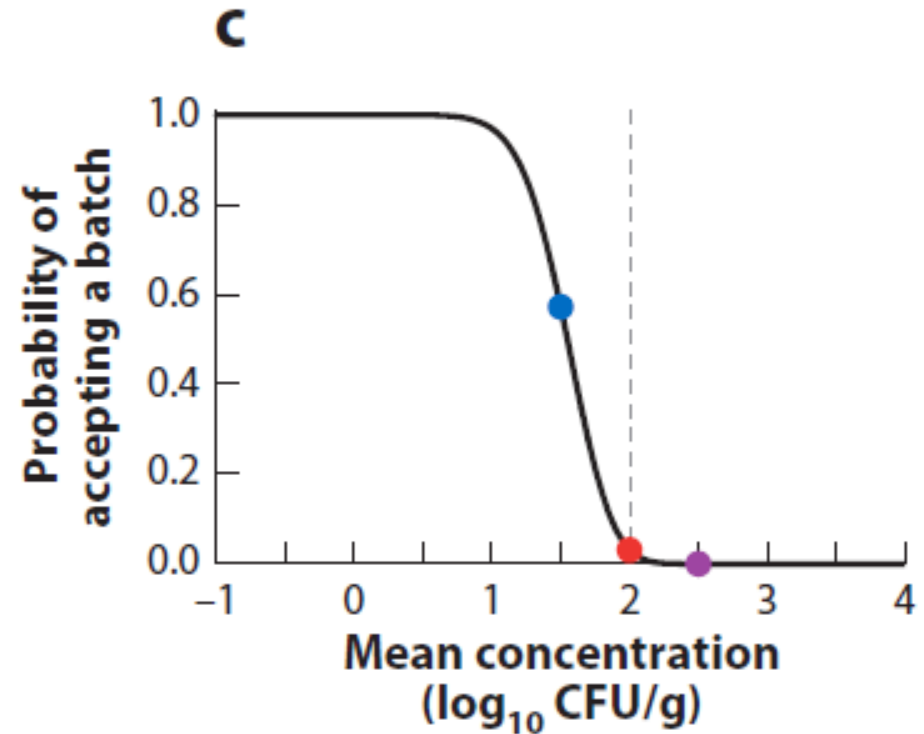
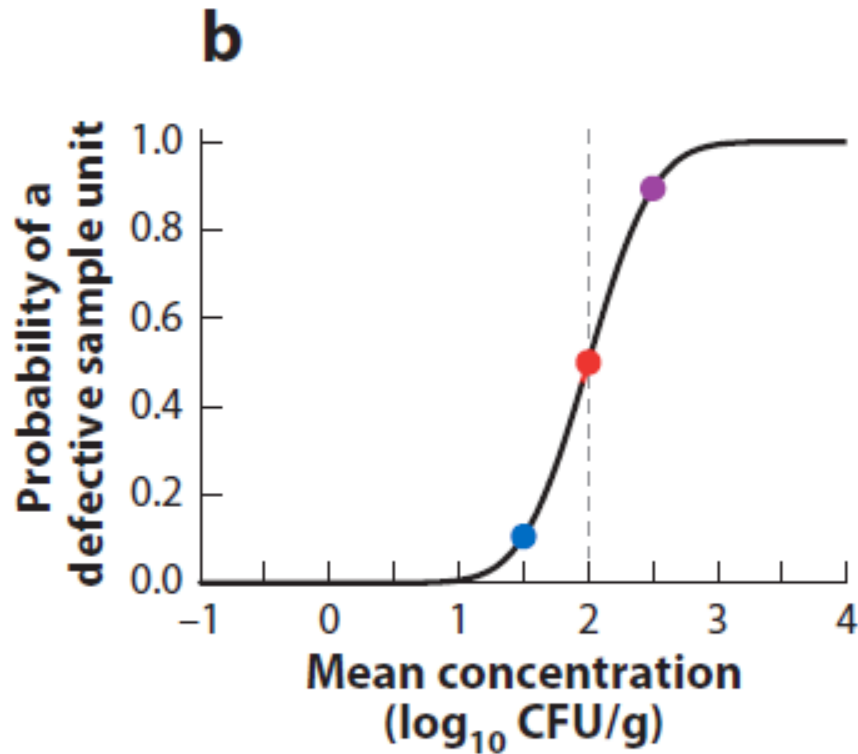
*Current sampling plans assume that microorganisms are homogeneously distributed in a batch.*





$$\begin{aligned}
 P_{\text{defective}} &= P_{\text{normal}}(\log_{10} C > m, \mu_{\log C}, \sigma_{\log C}) \\
 &= 1 - P_{\text{normal}}(\log_{10} C \leq m, \mu_{\log C}, \sigma_{\log C}),
 \end{aligned}$$

## OC curve: Operating Characteristic

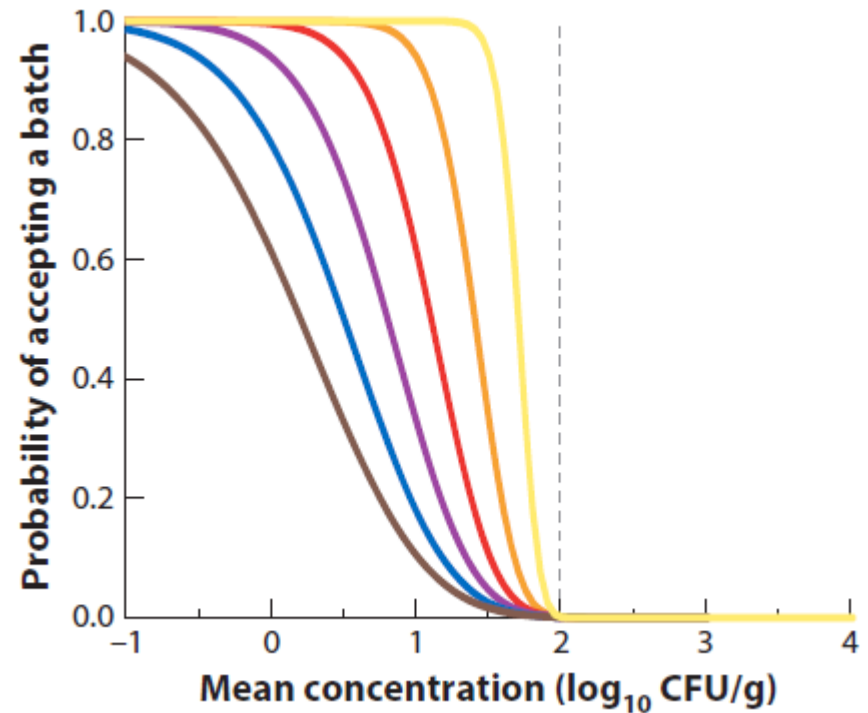
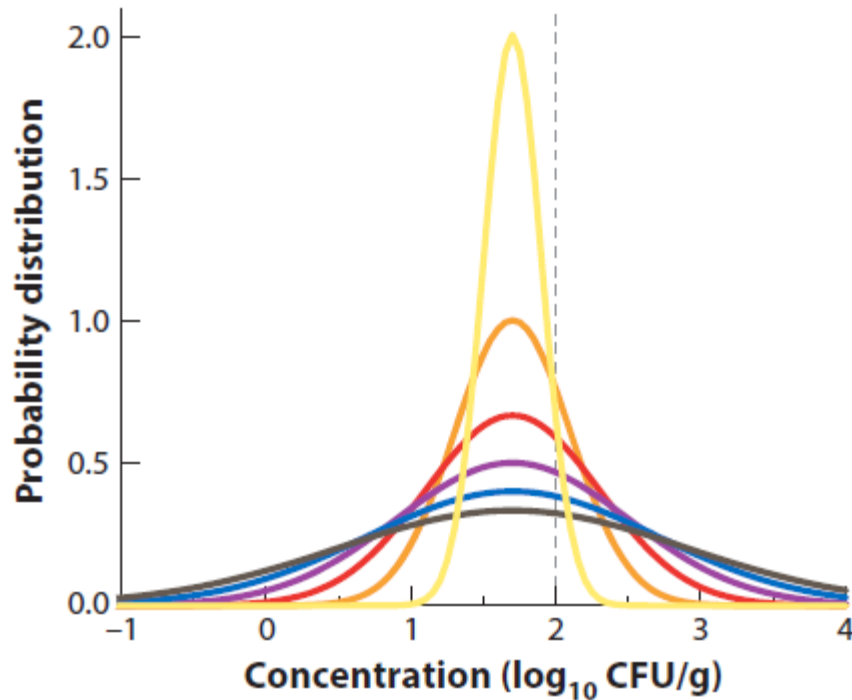


$$P_{accept}(c, n, P_{defective}) = \text{binomial}(k \leq c, n = n, P = P_{defective})$$

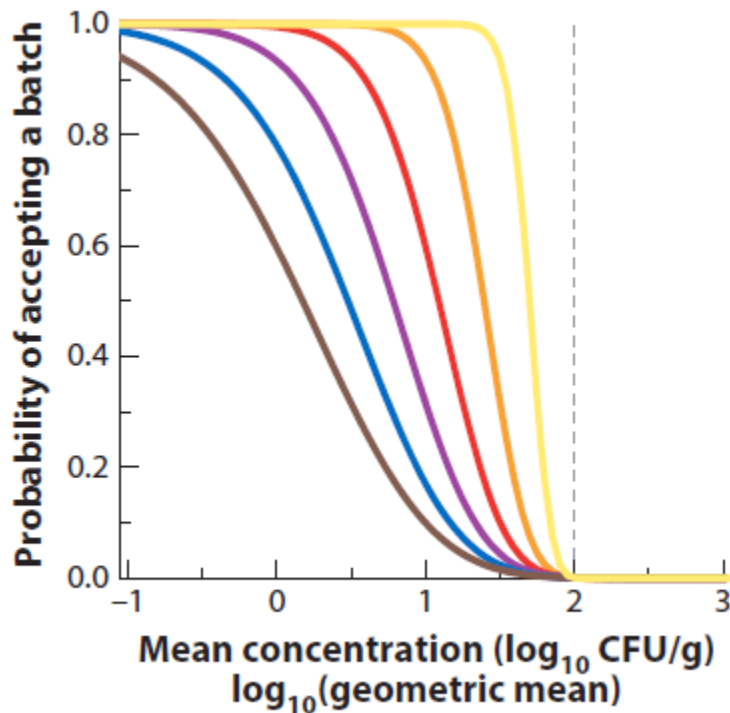
$n=5$



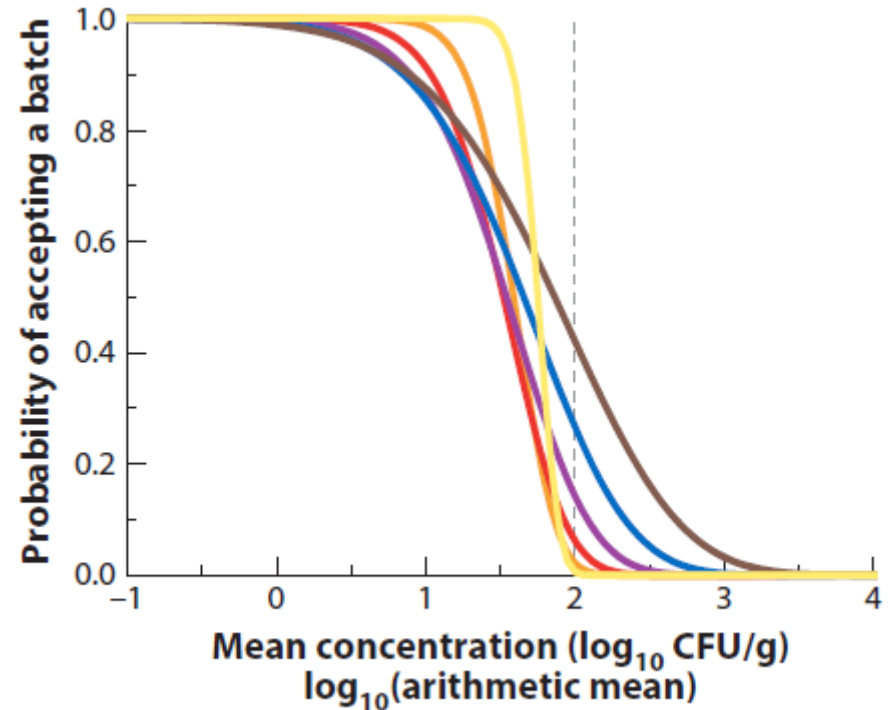
$n=10$ ;  $\sigma=1.2$  (brown), 1.0 (blue), 0.8 (purple), 0.6 (red), 0.4 (orange), and 0.2 (yellow)  $\log_{10}$  CFU/g.



$n=10$ ;  $\sigma=1.2$  (brown), 1.0 (blue), 0.8 (purple), 0.6 (red), 0.4 (orange), and 0.2 (yellow)  $\log_{10}$  CFU/g.



mean log

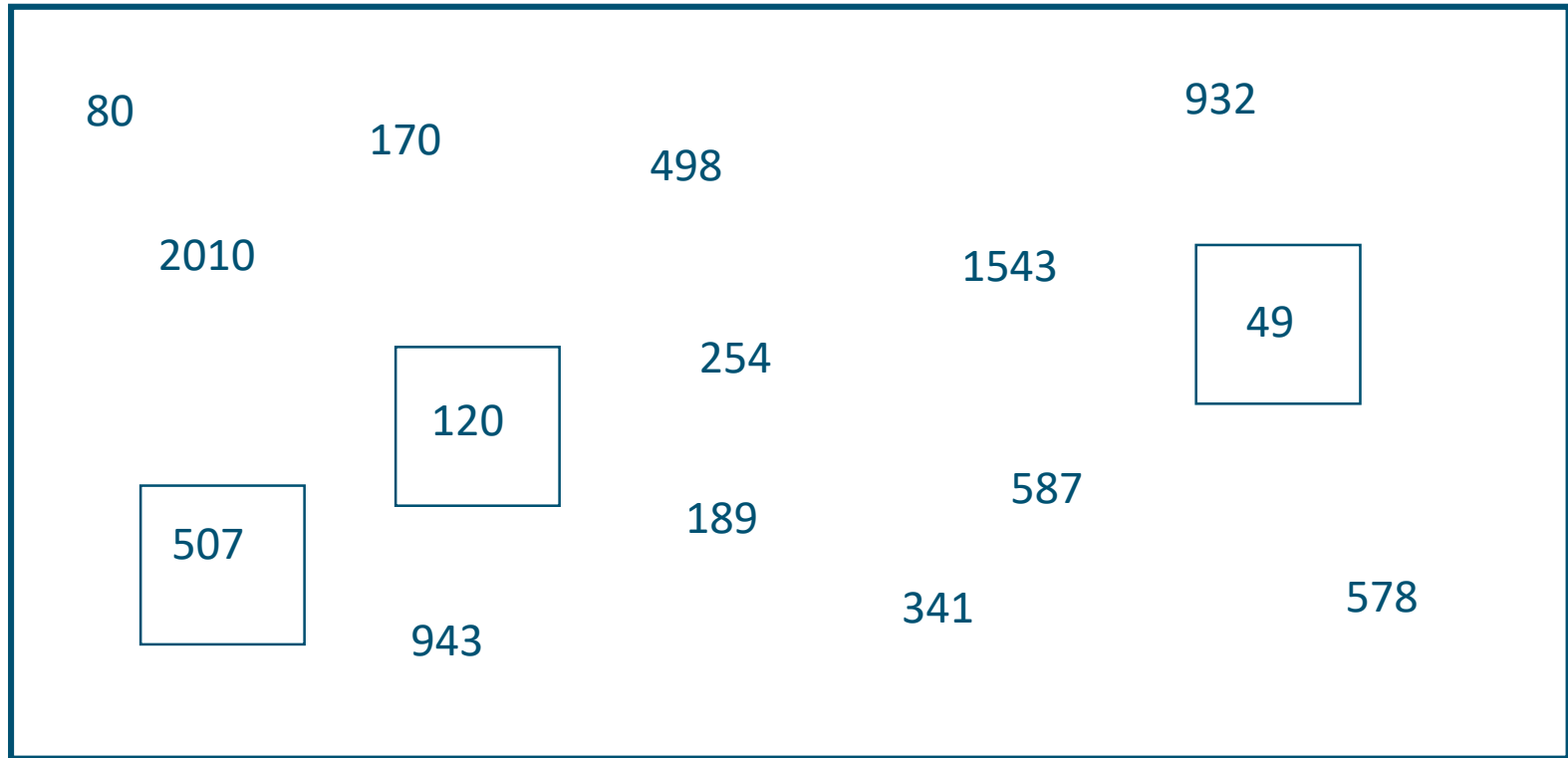


log mean

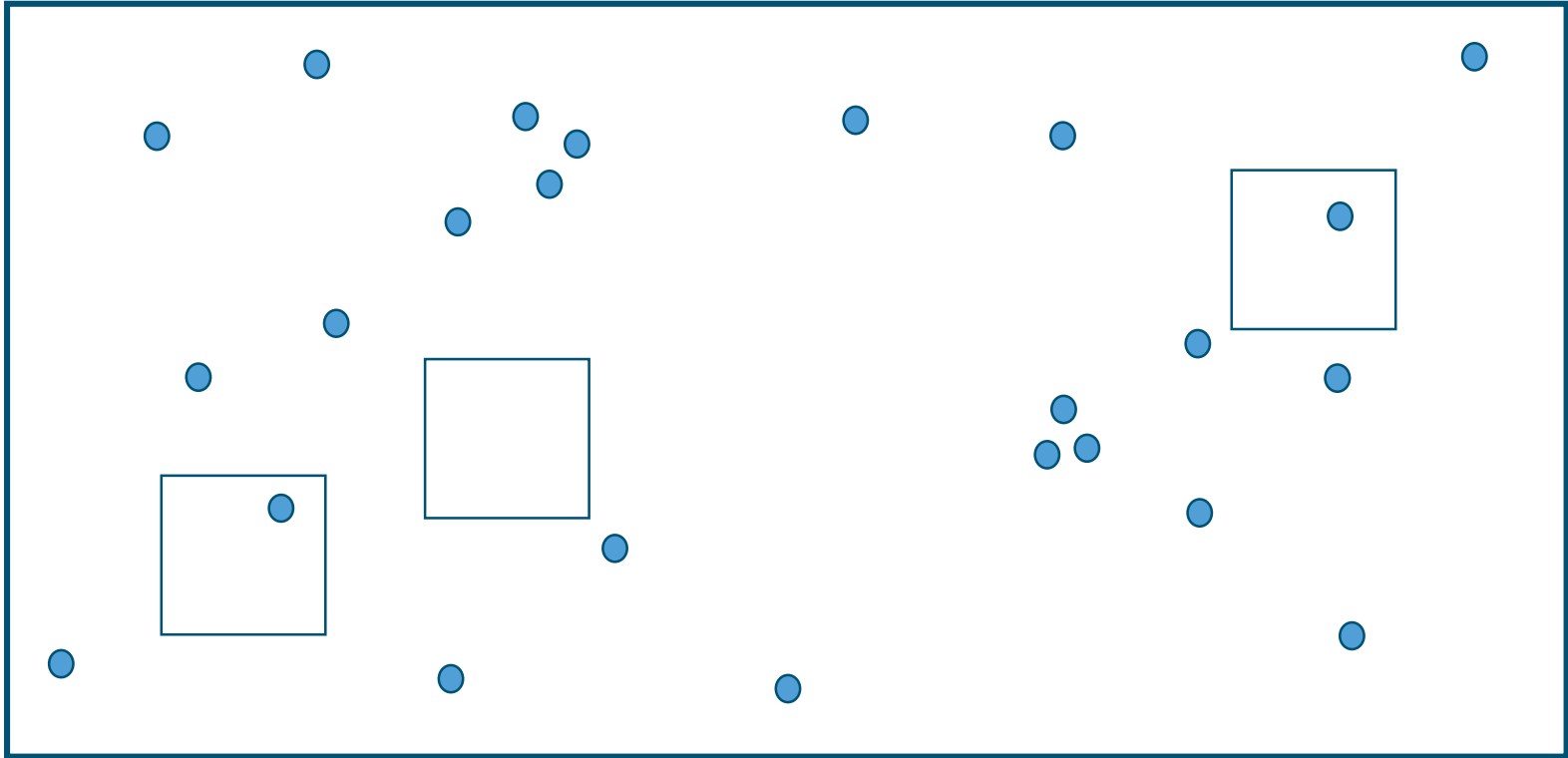


$$\log_{10}(\bar{C}) = \overline{\log_{10} C} + 0.5 \cdot \ln 10 \cdot \sigma_{\log_{10} C}^2$$

# Distribution counts

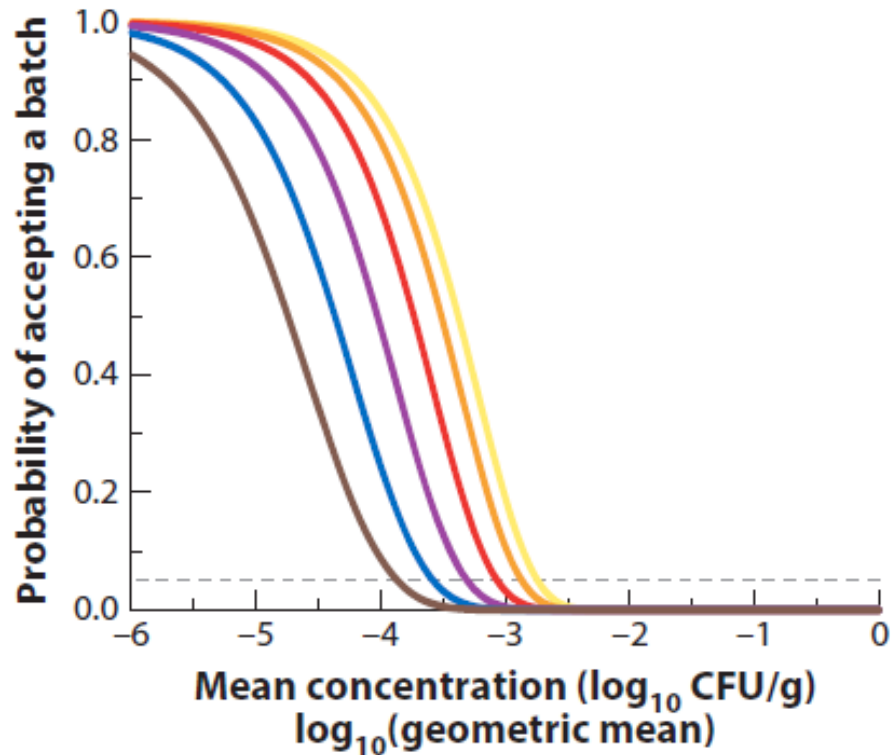


# Distribution enrichment

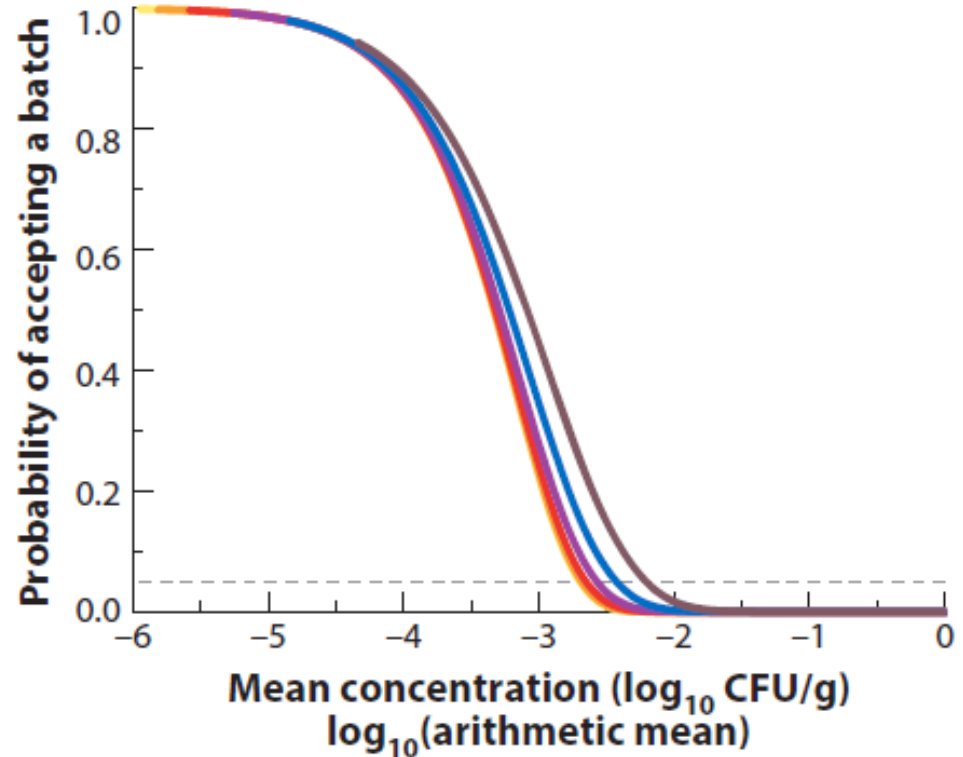




$n=60$ ;  $\sigma=1.2$  (brown), 1.0 (blue), 0.8 (purple), 0.6 (red), 0.4 (orange), and 0.2 (yellow)  $\log_{10}$  CFU/g.



mean log



log mean



# Three statistical phenomena are relevant:

1. the actual spatial distribution of microorganism in the food batch,
2. the statistical process of taking a sample unit and it being defective
3. the acceptance of the lot based on  $n$  sample units, of which  $c$  are accepted to be positive and  $P_{defective}$

For example

1. organism lognormally distributed in product
2. taking one sample is a Poisson process

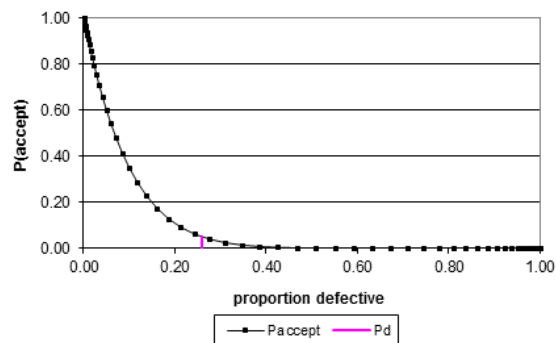
$P_{defective}$  is a Poisson-lognormal distribution of contaminant in the sample unit

3.  $P_{accept}$  of a lot based on  $P_{defective}$ ,  $n$  sample units, and  $c$  is a binomial process

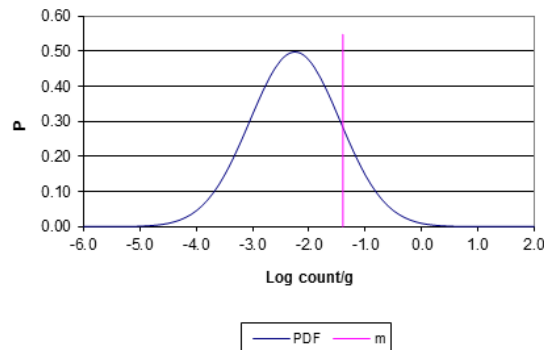
$P_{accept}$  is then a Binomial(Poisson(LogNormal)) distribution !



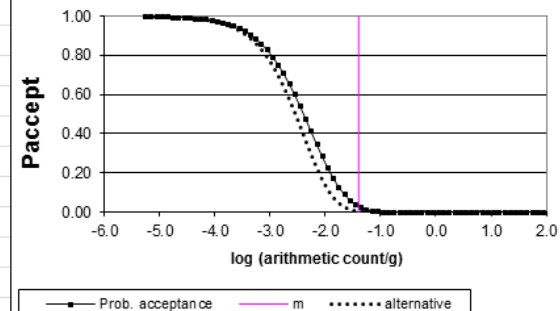
Operating characteristic curve for proportion defective, with  $n=10$  and  $c=0$



Probability density function (PDF) for log counts. Distribution mean = -2.25 and sigma = 0.80



Operating characteristic curve scaled to relate log arithmetic mean count to m



## Batch acceptance for Pd

	Pd	P(accept)
Batch acceptance for Pd	20 %	10.7 %
actualPd	25.9 %	5.00 %

## INPUTS

mean	-2.25
sigma	0.80
m	-1.40
n	10
c	0
amount	25 g

## P(accept)

Computed	5.00 %
Desired	5 %
Find mean that gives desired P(accept)	
Find n that gives desired P(accept) or better (less)	
Project	95.00

## ALTERNATIVE n AND c

mean	-2.25
sigma	0.80
m	-0.98
n	30
c	0
amount	9.6 g

## P(accept)

Computed	0.91 %
Target, left	5.00 %
For any value of n and c imputed find the m that gives the same P(accept) as the model on the left	

## Sandbox: for your own calculations

## Means and median

Arithmetic	Geometric=median
0.0307 cfu/g	0.0056 cfu/g
one cfu in 32.6 grams	one cfu in 177.7 grams
-1.51 log cfu/g	-2.25 log cfu/g

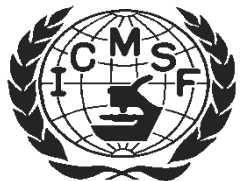
## Implied Acceptance level

Percentile	z-score	Concentration at this percentile
99.9	3.10	0.23

This sampling plan would provide 95 % confidence that a lot of food containing a median concentration of 1 organism in 177.7 g and an average concentration of 1 organism in 32.6 g (and having a standard deviation of 0.80 log cfu/g), would be rejected (i.e. more than 0 out of 10 samples of 25 grams giving detection of the organism)

# Conclusions

- All samples negative is no guarantee of safety
- A positive sample is indicating unsafety
- Sampling is useful for verification
- As function of the arithmetic mean the effect of the spread is limited
- Tools exist !



***Control*** of safety is only to a very limited extend supported by end-product testing